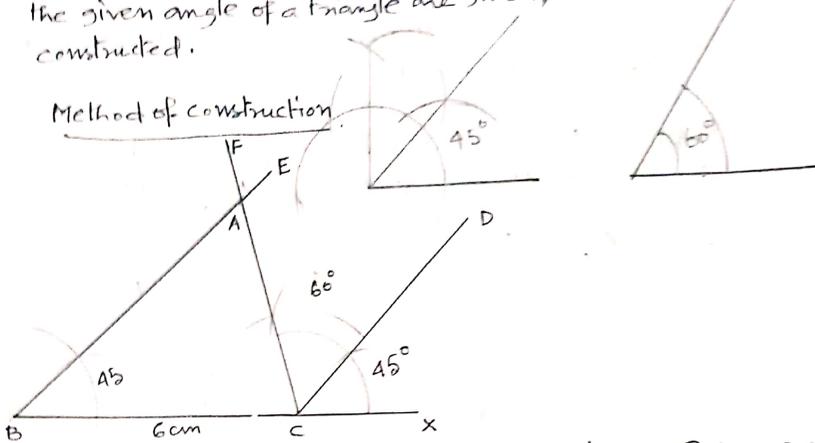


Cl - VIII (Maths)
Construction.

1. Two angles 45° and 60° , one side 6cm opposite to one of the given angle of a triangle are given, the triangle is to be constructed.

Method of construction.

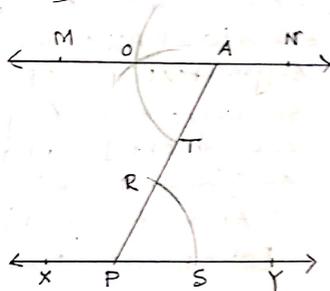


- A. Line segment BX is drawn and $BC = 6\text{cm}$ is cut from BX .
 Now $\angle CBE$ and $\angle XCD$ both equal to 45° are constructed at B and C respectively. Taking CD as base, $\angle DCF = 60^\circ$ is constructed at C .
 Now lines BE and CF intersect each other at A .
 $\therefore \triangle ABC$ is the required triangle.

2. Construction-2 Draw a line through a given pt, parallel to a given st. line.

Method of construction

Let P be any pt on XY . AP is joined. With P as centre and taking any convenient radius, an arc is drawn which cuts PY at S and PA at R .

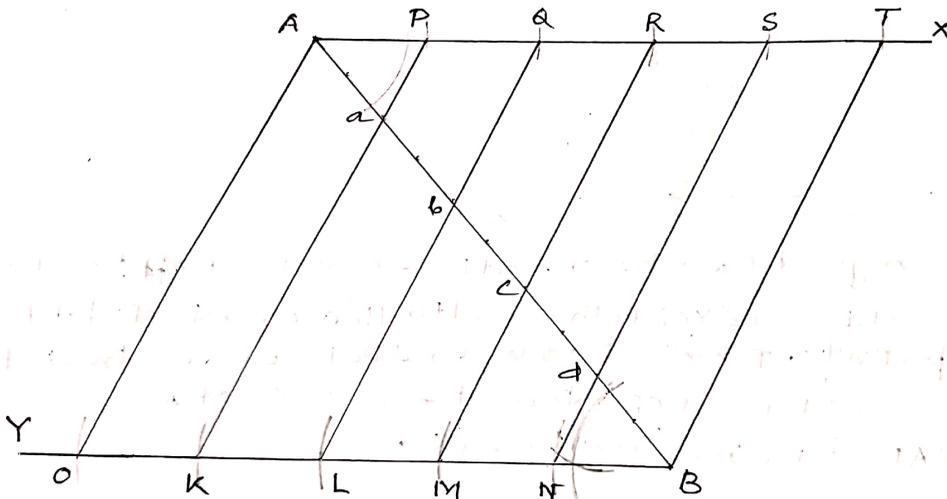


Similarly taking A as ~~radius~~ centre and ~~same~~ same radius as in above, an arc is drawn which cuts PA at T .
 Now again T as centre and RS as radius, another arc is drawn which cuts ~~the~~ the previous arc at O .
 OA is joined and produced in both directions to M and N . $\therefore MN$ is the required line \parallel to XY .

SN.2 Construction-2

To divide a given line segment into a number of equal segments.

Suppose AB is a given line segment, it is required to divide AB into five equal segments.



Method of construction:

$\angle BAX$ is constructed at the pt A. Now $\angle ABY$ is constructed equal to $\angle BAX$ on the opposite side of AB. Equal segments AP, PQ, QR, RS, ST are cut off from ~~AB~~ AX. Similarly equal segments BN, NM, ML, LK and KO = AP are cut off from BY. Now AO, PK, QL, RM, SN and TB are joined. They intersect AB at a, b, c, d respectively. \therefore AB is divided into 5 equal segments.

[If $AB = 10\text{cm}$, then $Aa = ab = bc = cd = dB = 2\text{cm}$.]